

# The Smart Highway – Modern Traffic Control

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**DCSC & Siemens**

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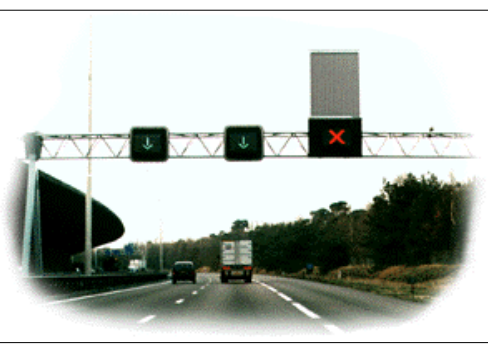




# Traffic measures



~~Dynamic Traffic Information Panel (DRIP)~~



June 9, 2004



# Traffic measures

- Lights
  - Traffic lights
  - Ramp metering
- Information
  - Dynamic Route Information Panels
  - Dynamic speed limits
  - RDS-TMC
  - Travel information
- Dedicated lanes
  - Dynamic left lane
  - Emergency hard shoulder, peak lane
  - Dynamic lane marking (light emitting road marking)
- Road pricing



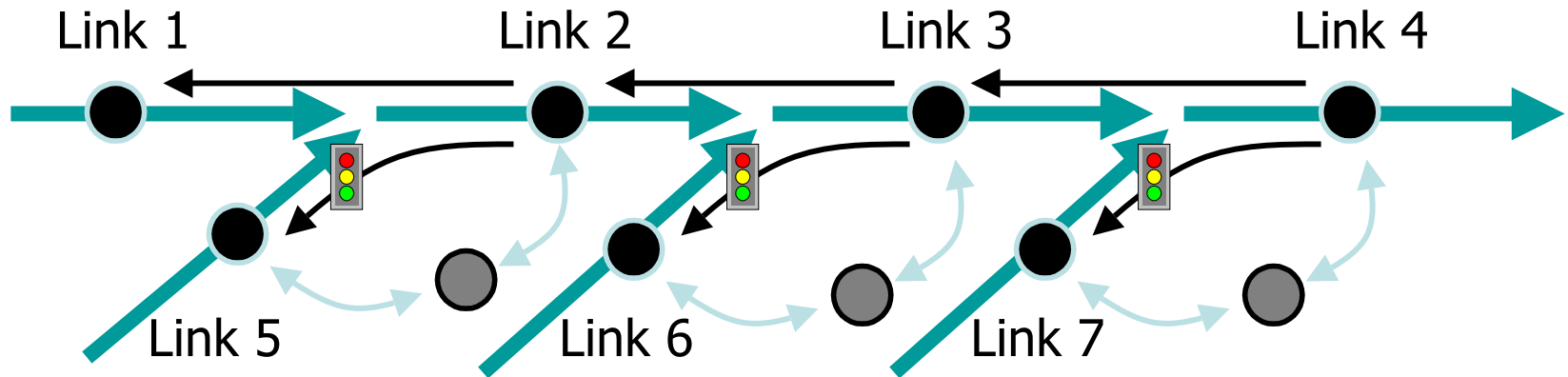
# Traffic control – remarks

- Control loop – extremely large loop with many uncertainties
- Disturbances – have a very high impact on the traffic system (accidents, road work, bomb alarm)
- Hybrid control – combines discrete and continuous control in one scheme
- Model predictive control – takes into account multiple constraints and uses models of the system

# Examples of projects

- Multi agent control
- Freeway and urban traffic control
- Traffic information and traffic control
- Shock waves
- Autonomous vehicles

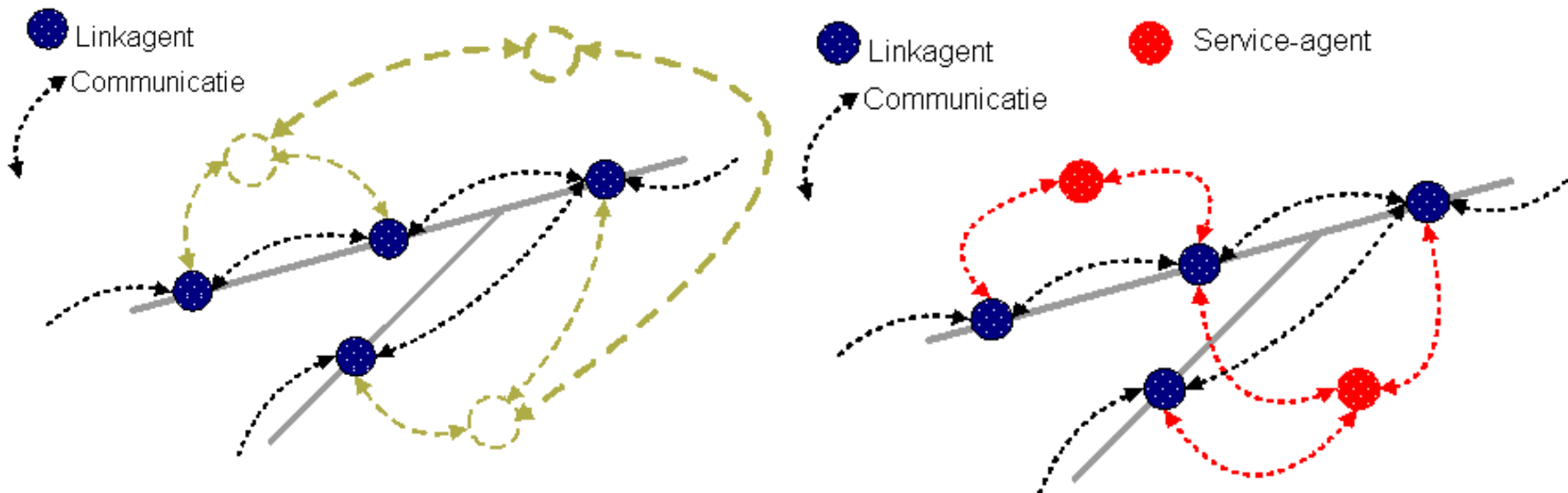
# Coordinated ramp metering



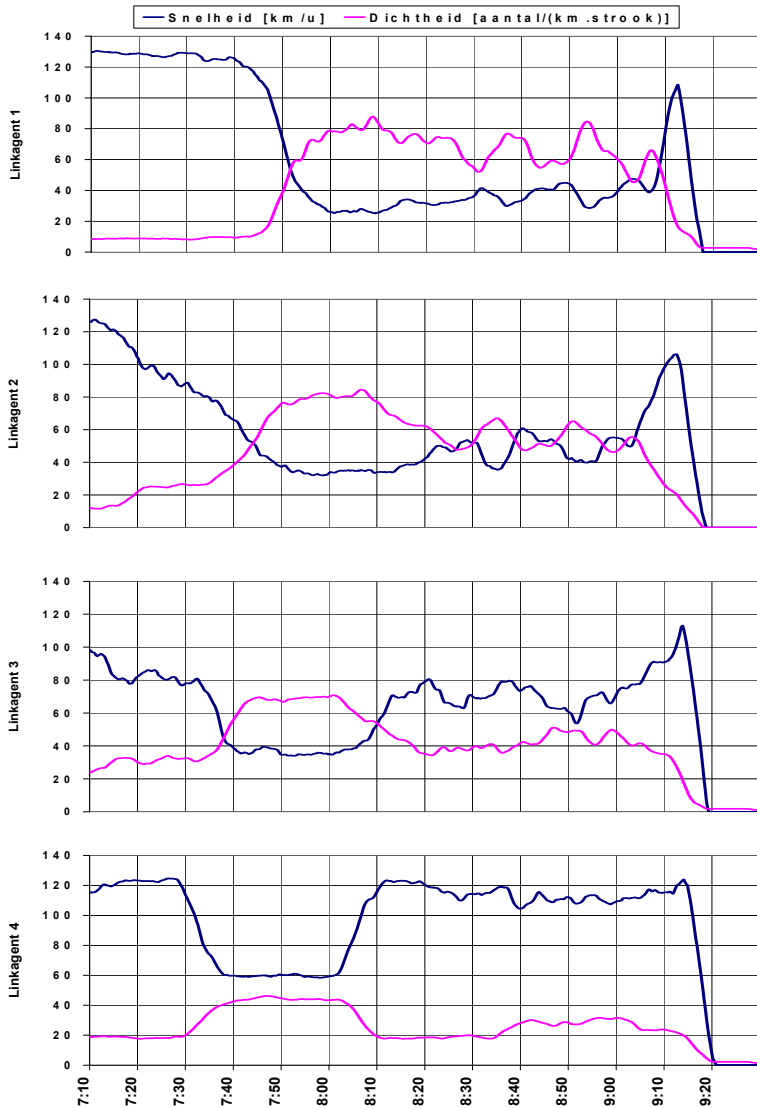
- Links, services, measures
- Length of the onramp
- Coordination stream up
- Hierarchical solution is limited

# Link and services agents

- Link agents observe the local traffic situation and determine local actions, they can discuss local actions with other link agents
- Service-agents collect the demands of link agents, they decide a tactical solution for the link agents

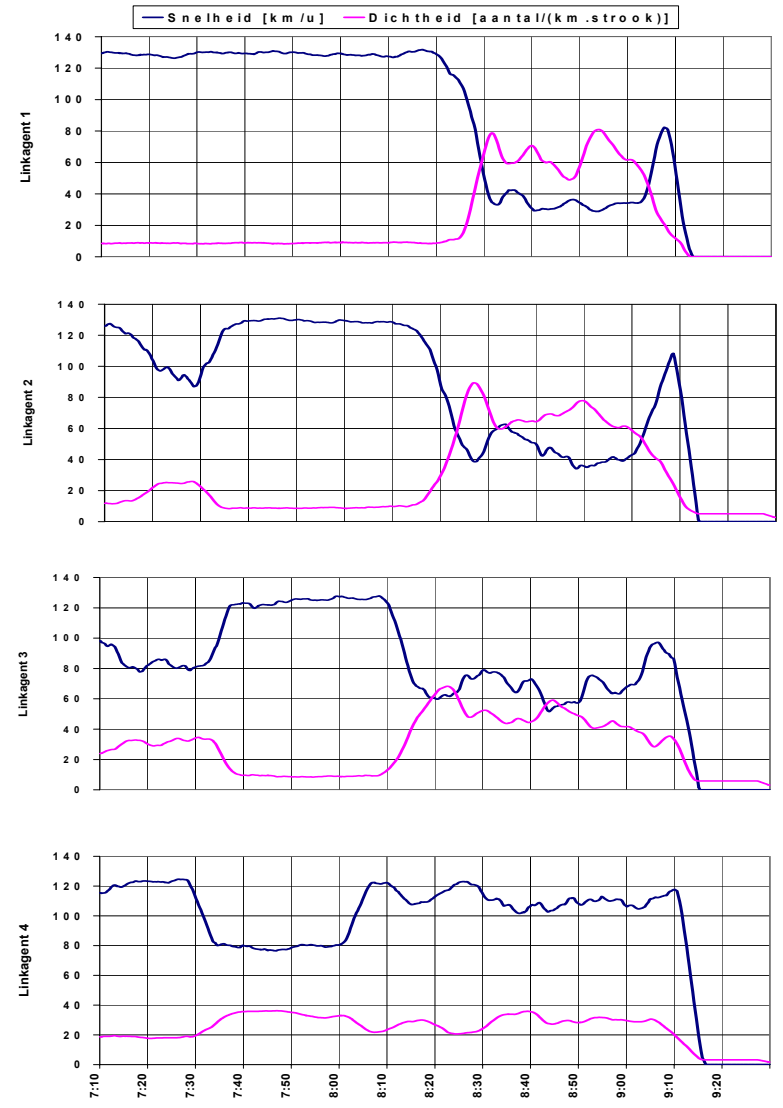


# Four link agents without (left) and with (right) control



LINK  
1  
2  
3  
4

velocity  
density

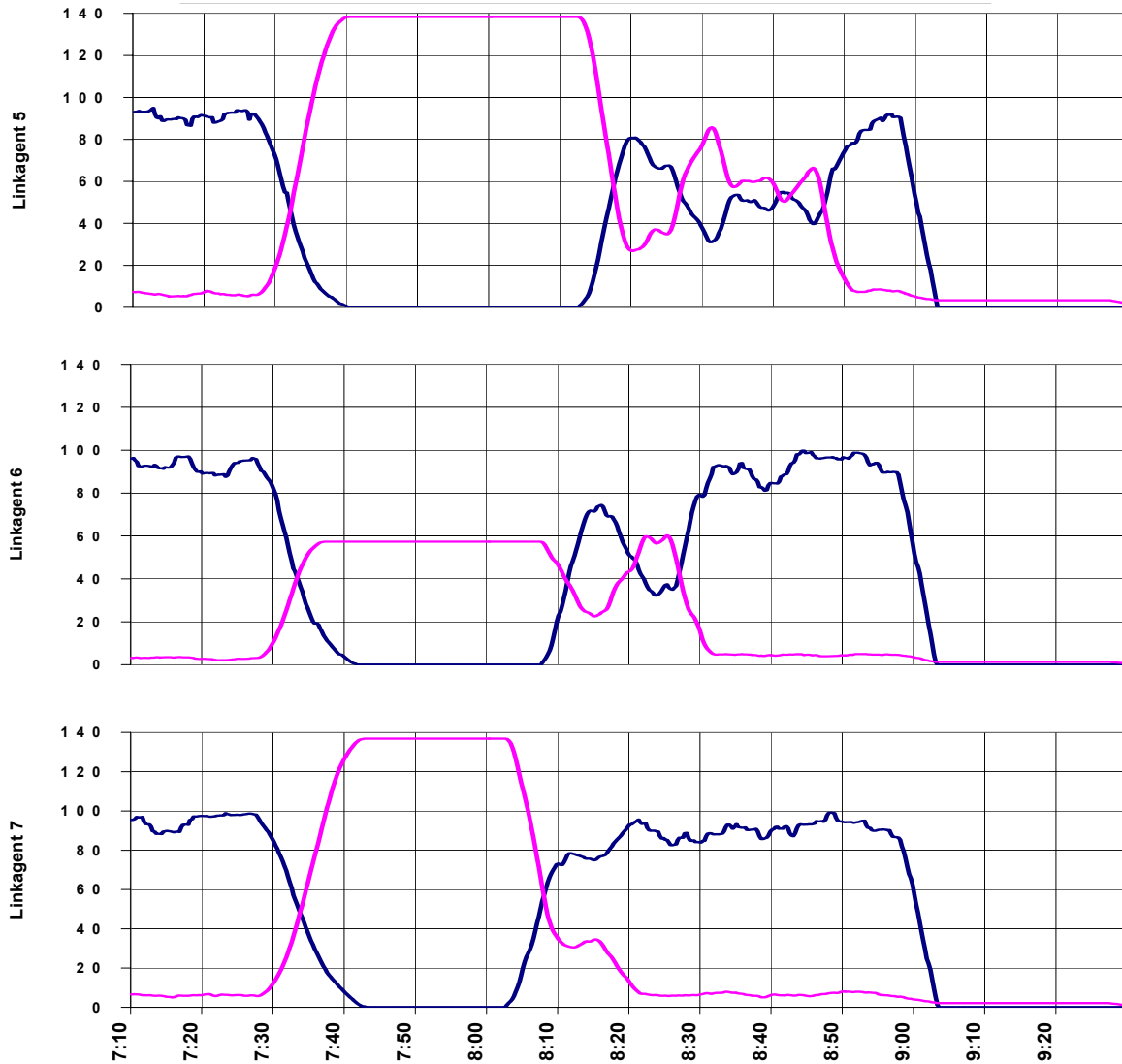




# The onramps

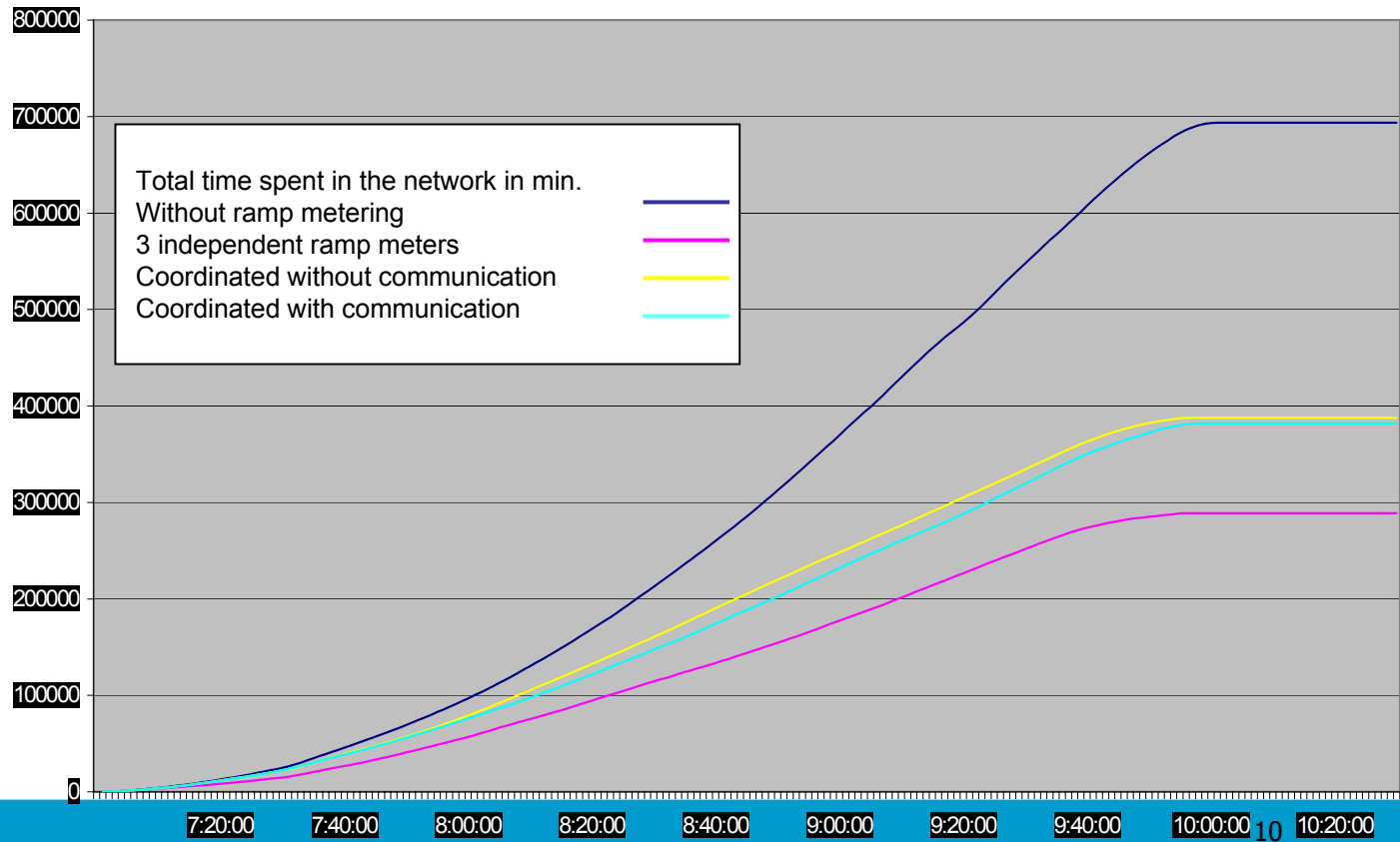
velocity

density

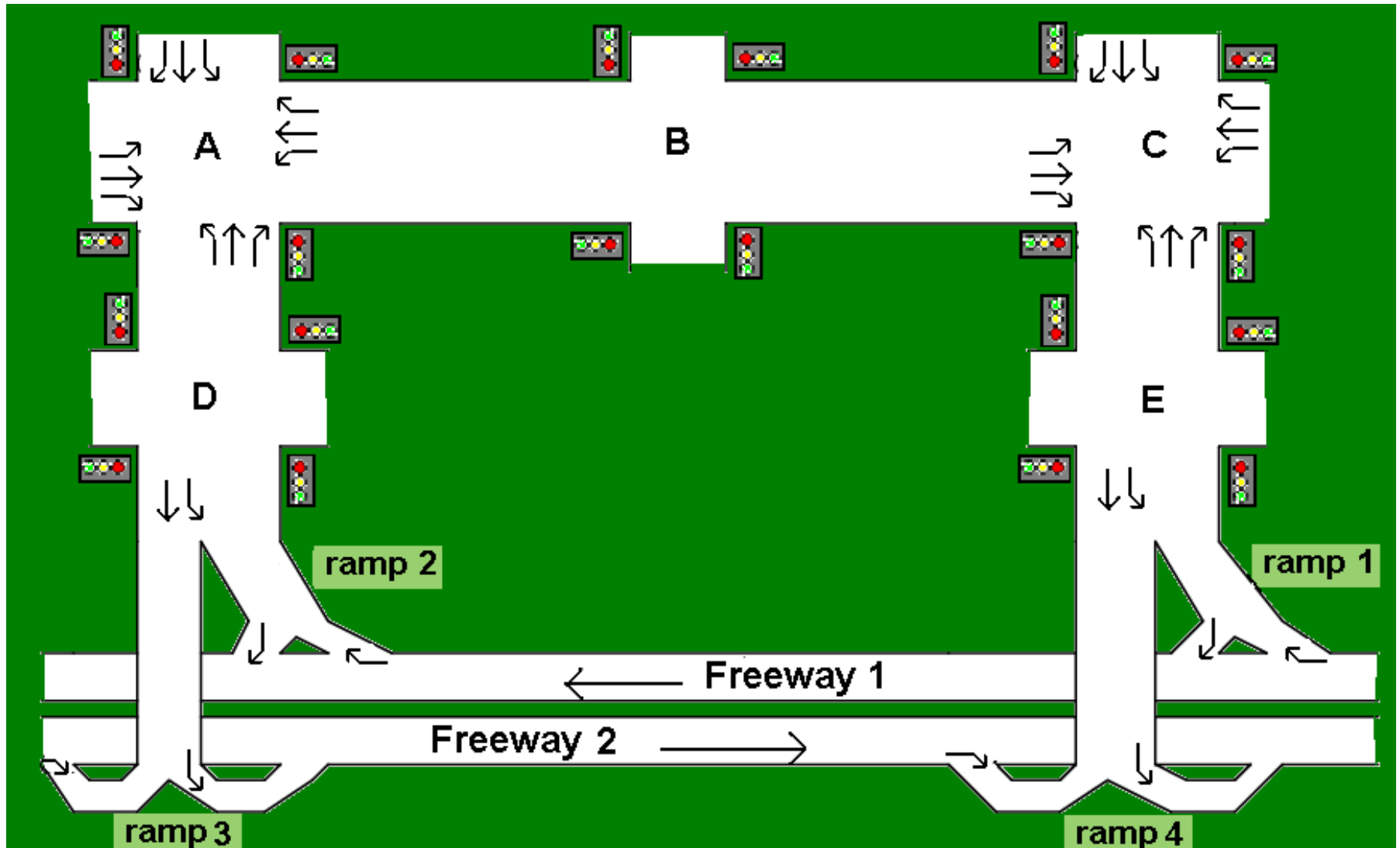


# Problems

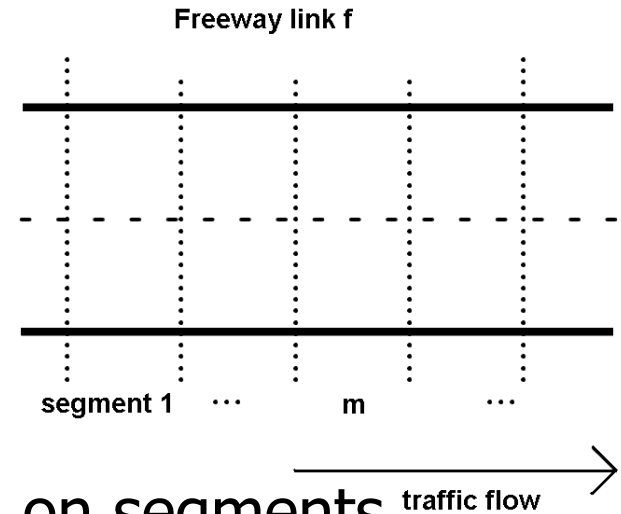
- Long term – short term behavior with ramp metering
- Coordination of more or less independent units
- Stability



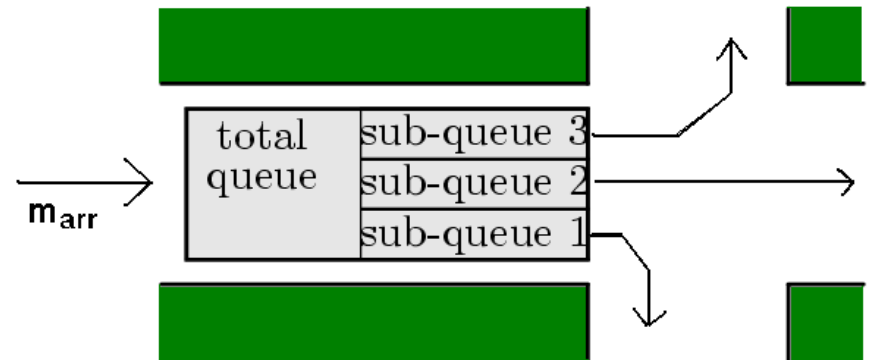
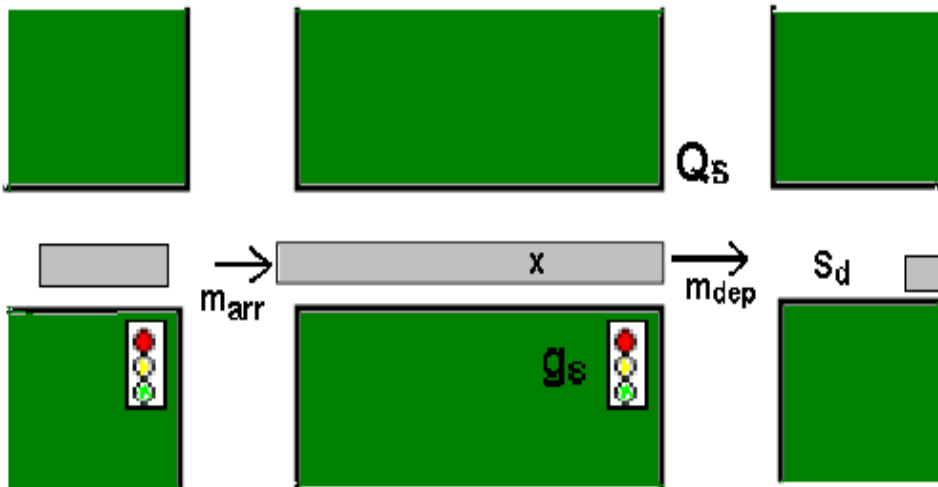
# A network of freeway and urban traffic



# Modeling



- Freeway: macroscopic model, based on segments
- Computes flow, density and velocity
- Urban: short time steps, queuing

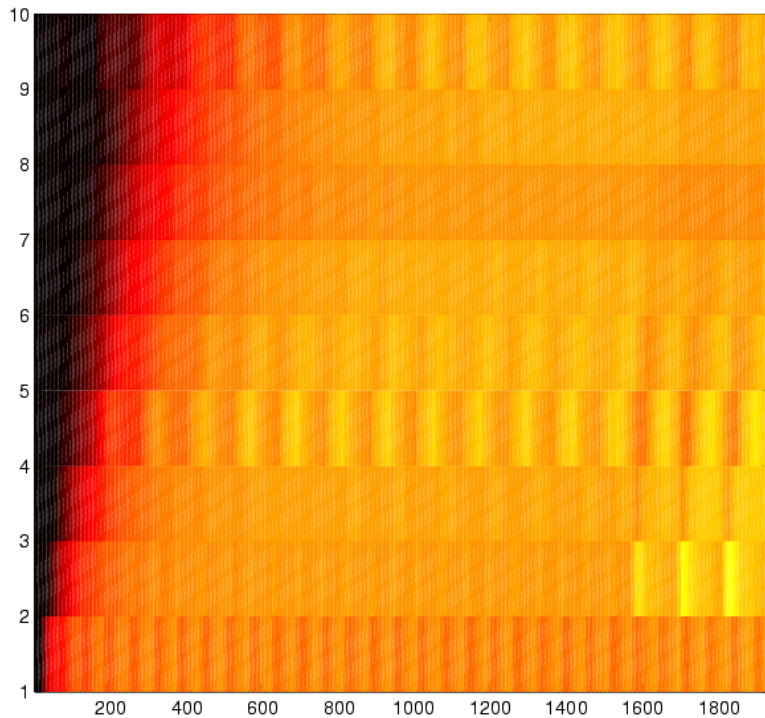




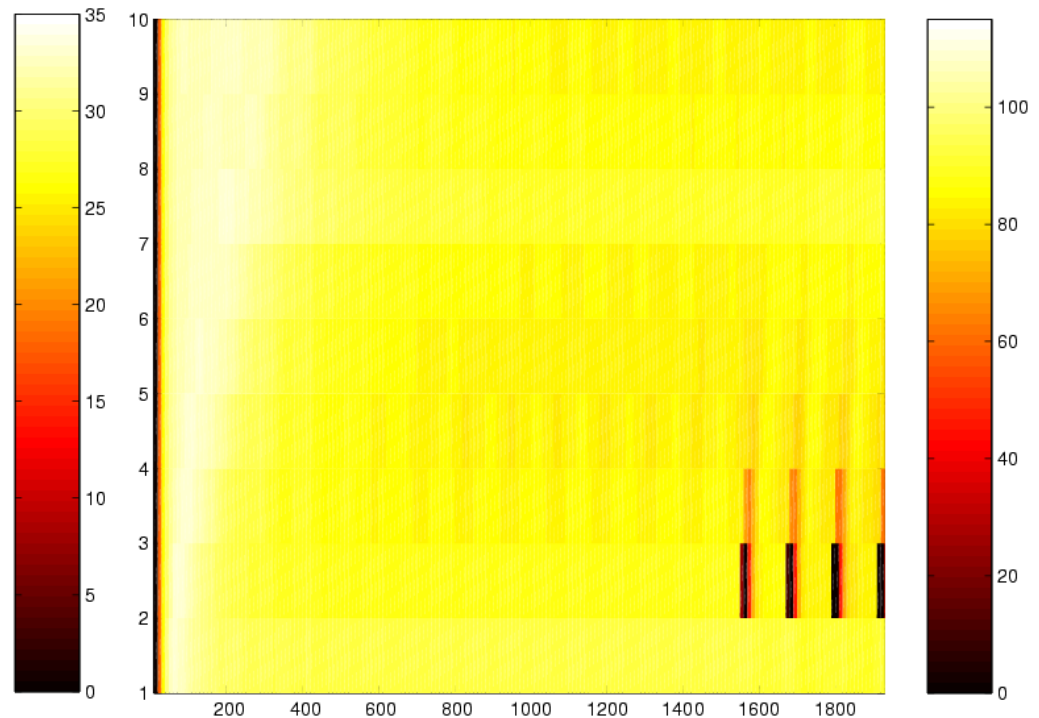
# Five simulation scenario's

- Marginally saturated intersections
- Morning rush, traffic traveling into the city
- Evening rush, traffic leaving the city
- Congestion at one of the urban intersections
- Congestion on the freeway

# Simulation results: Freeway I



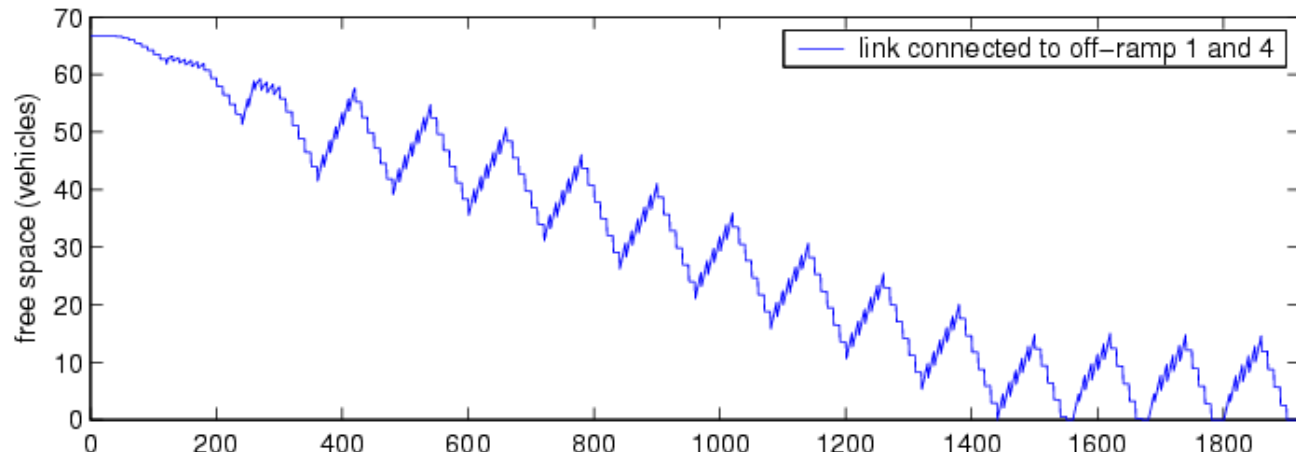
Density



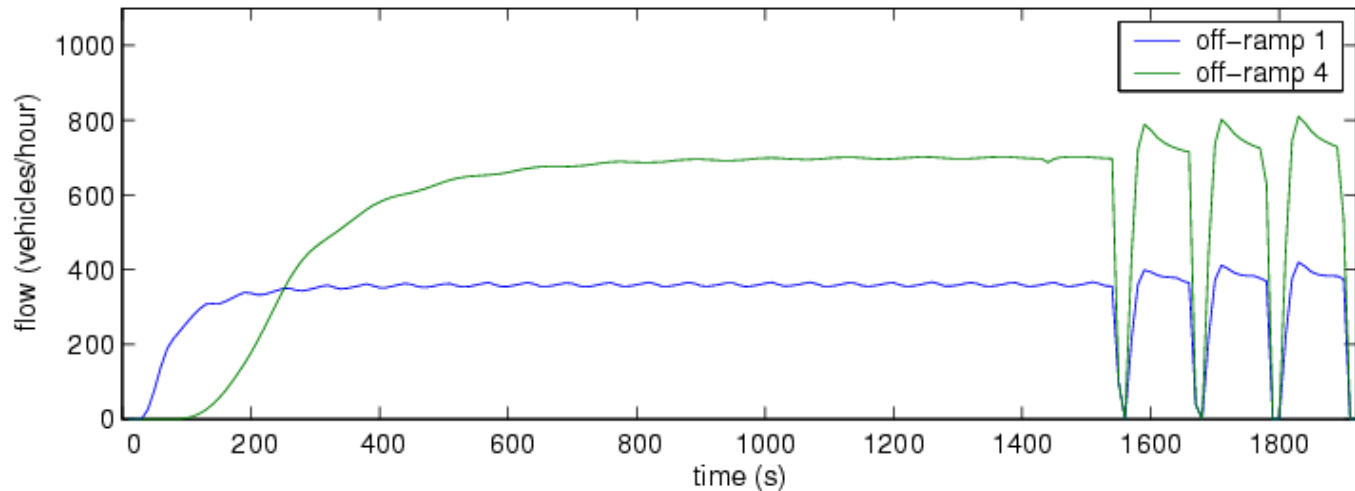
Velocity

# Simulation results: Off-ramp

Free space

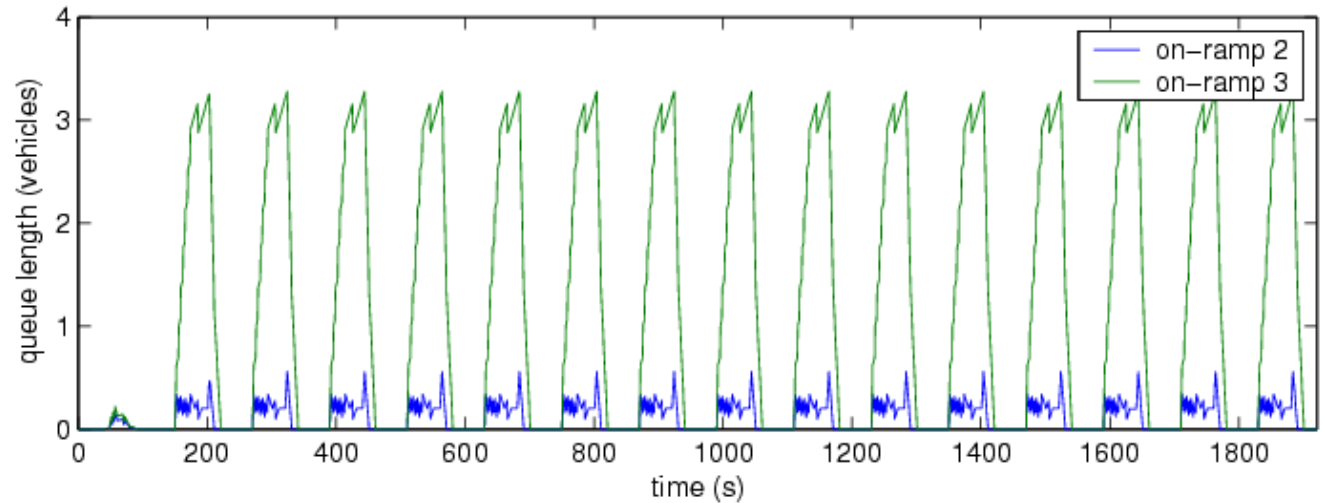


Flow

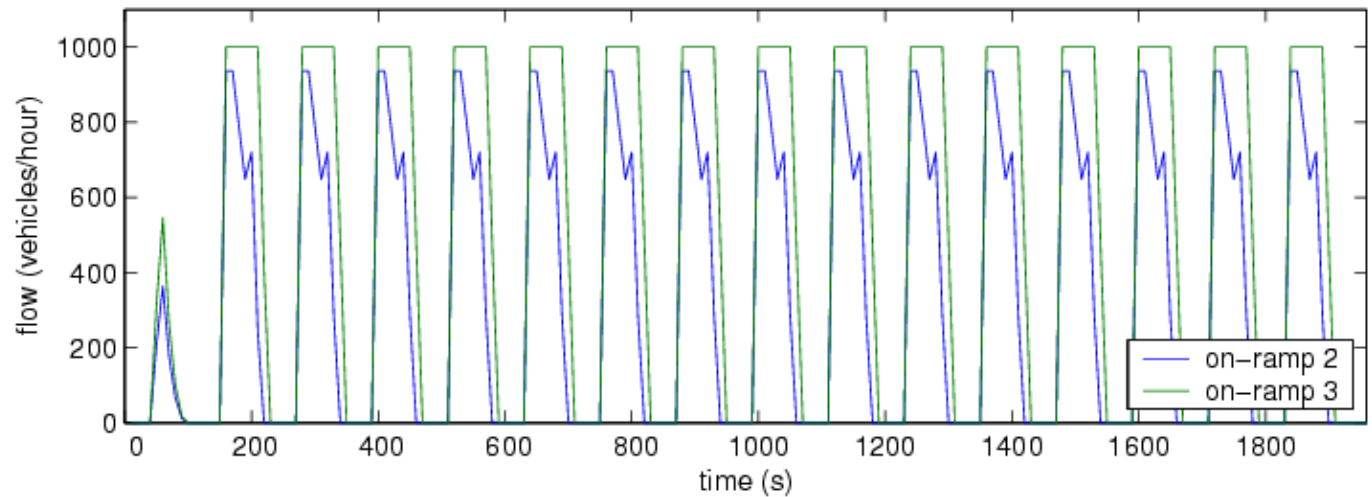


# Simulation results: On-ramp

Queue length

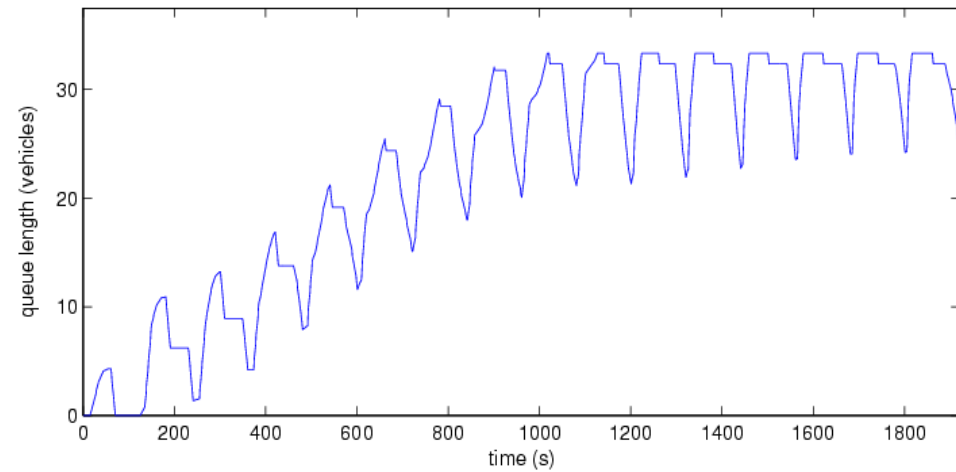
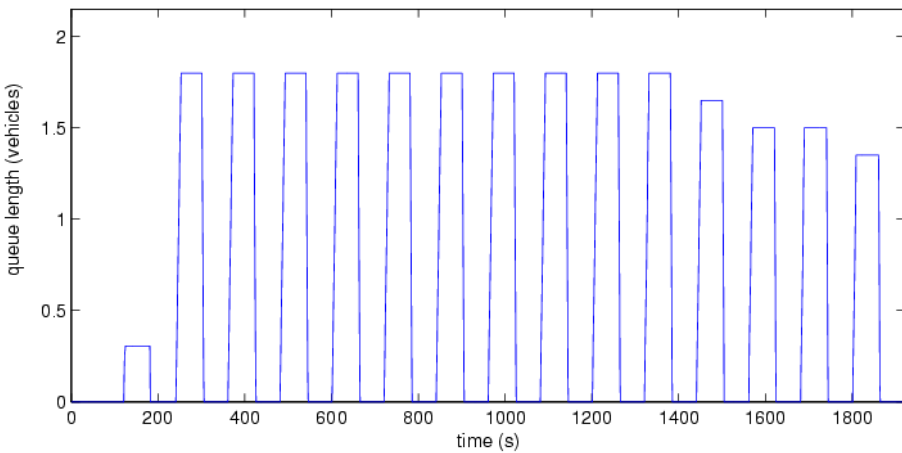
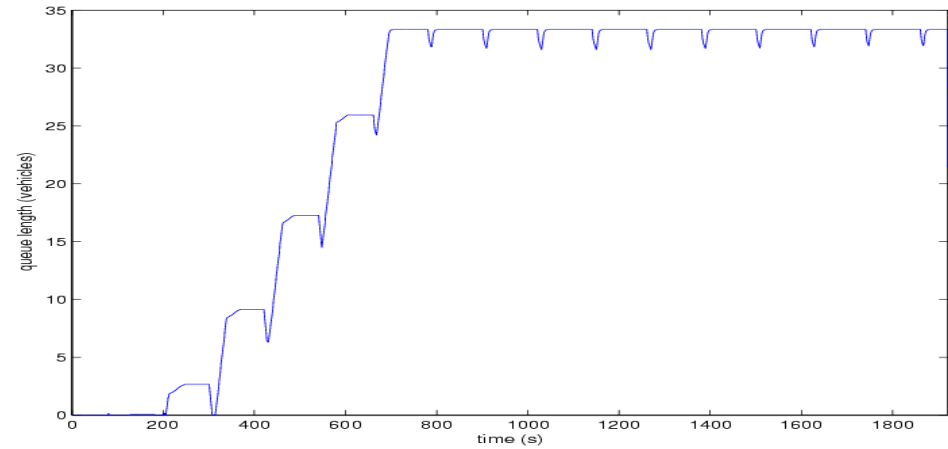
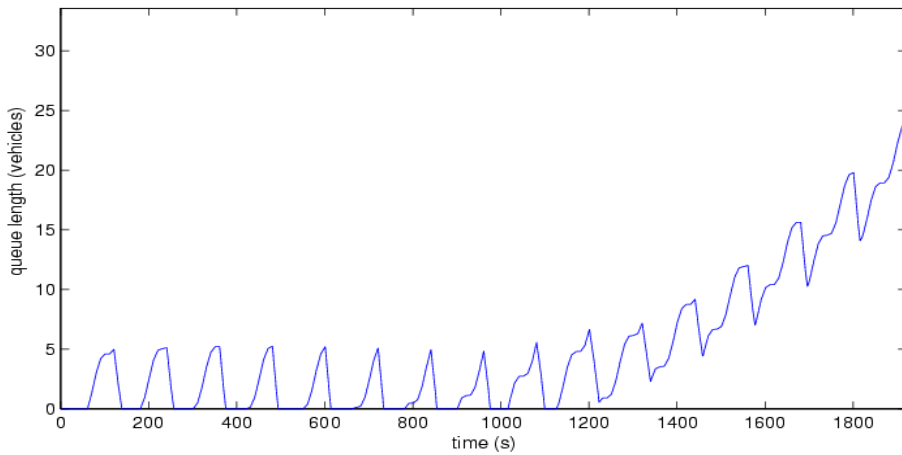


Flow





# Simulation results: Urban queue lengths



# Model Predictive Control

- Control signal: offsets, green times
- Cost function: Total time spent

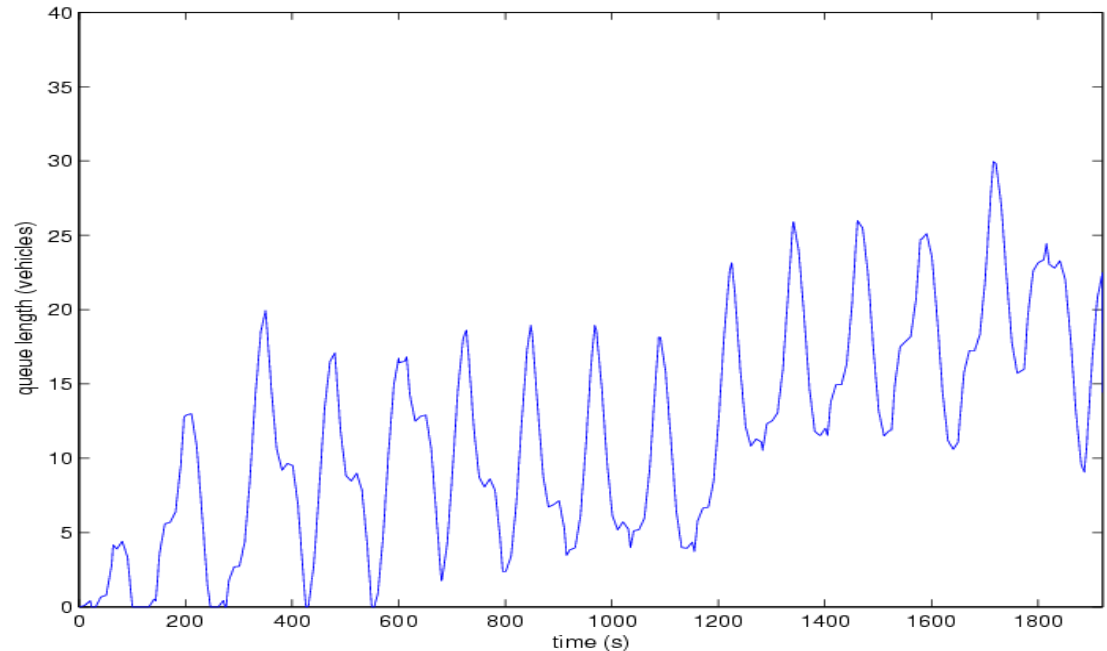
$$TTS = T_u * \sum \text{vehicles}(\text{urban}) + T_f * \sum \text{vehicles}(\text{freeway})$$

Scenario	Improvement
Normal traffic	7.6%
Morning rush hour	6.2%
Evening rush hour	8.2%
Urban congestion	3.9%
Freeway congestion	6.4%

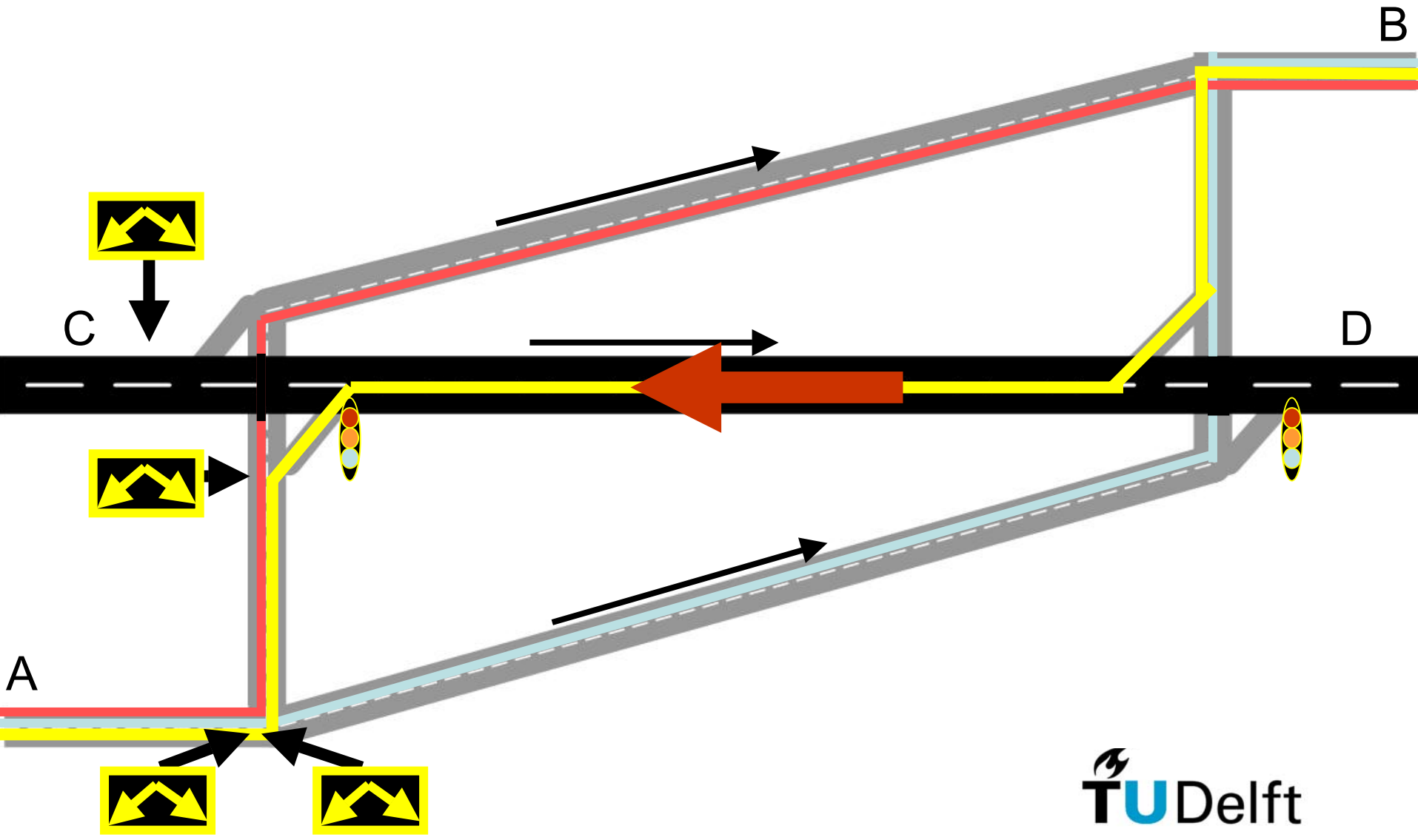
# Model Predictive Control

- Keep traffic waiting at origins
- More green for crossing traffic
- Improve flow towards the freeways

Queue length



# Traffic information and traffic control





# Control strategy

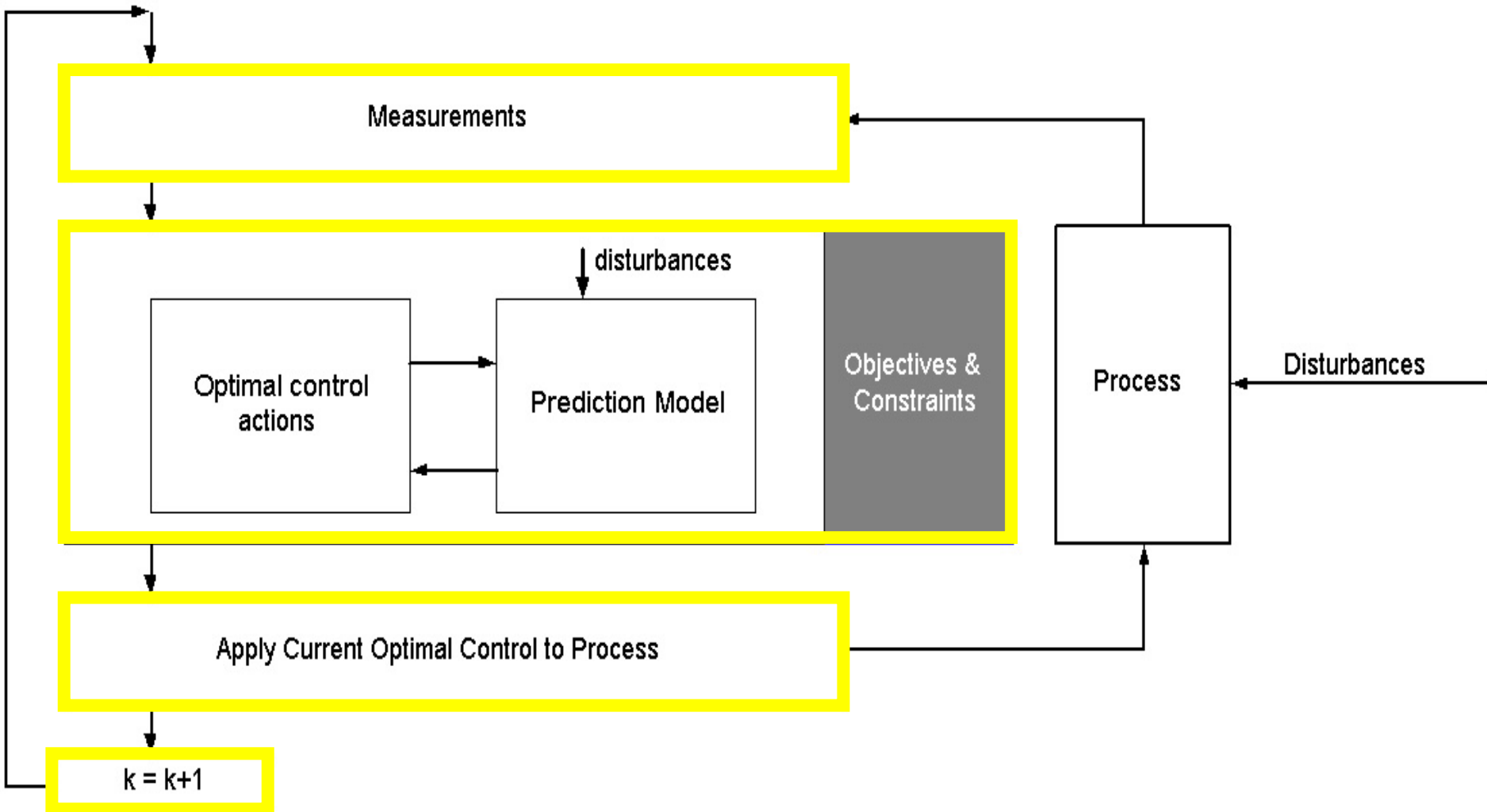
Minimize **simultaneously**:

- total time spent
- jam building at onramp
- difference between displayed and realized travel times
- variation in control signal

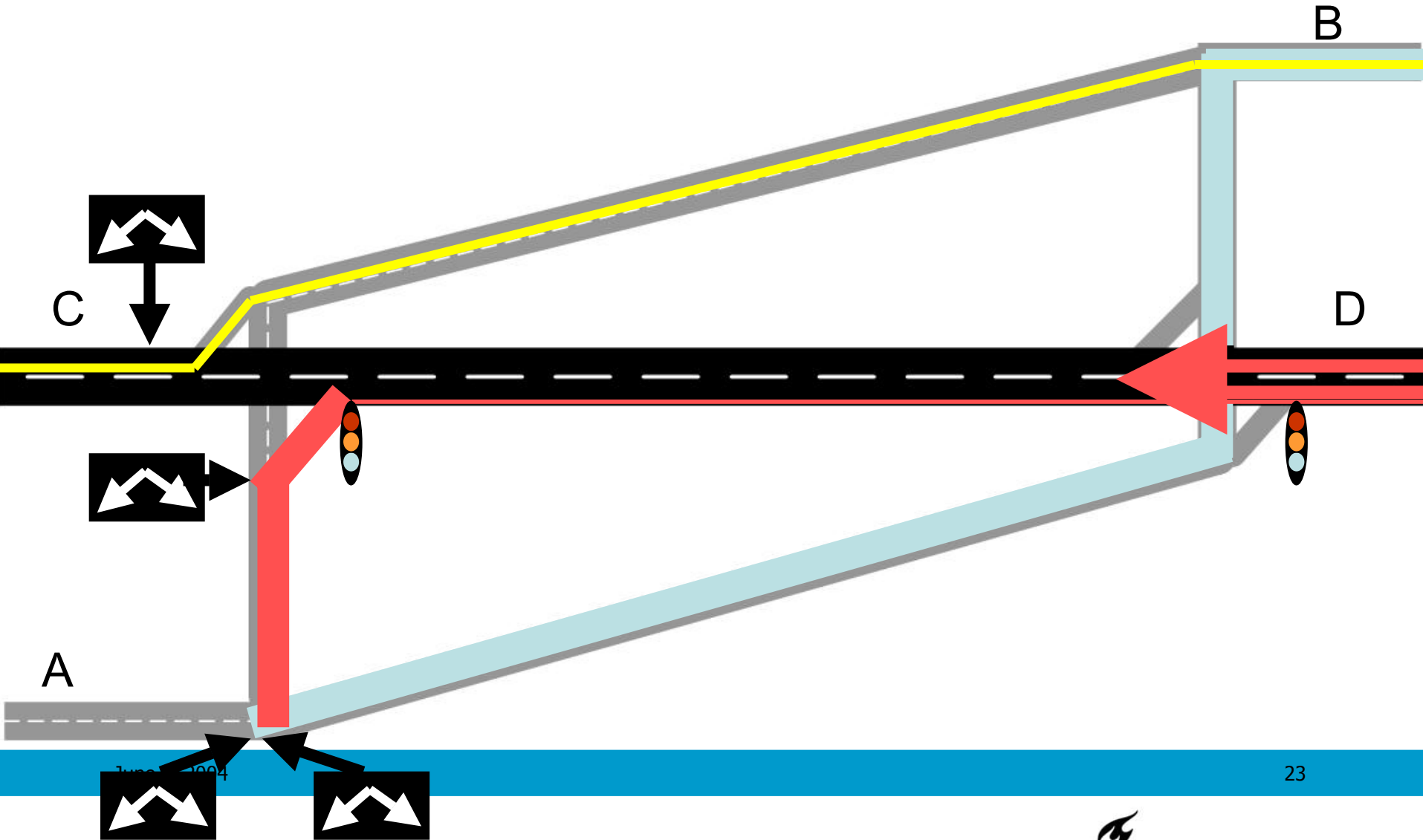
using

- travel time information and ramp metering

# Model predictive control

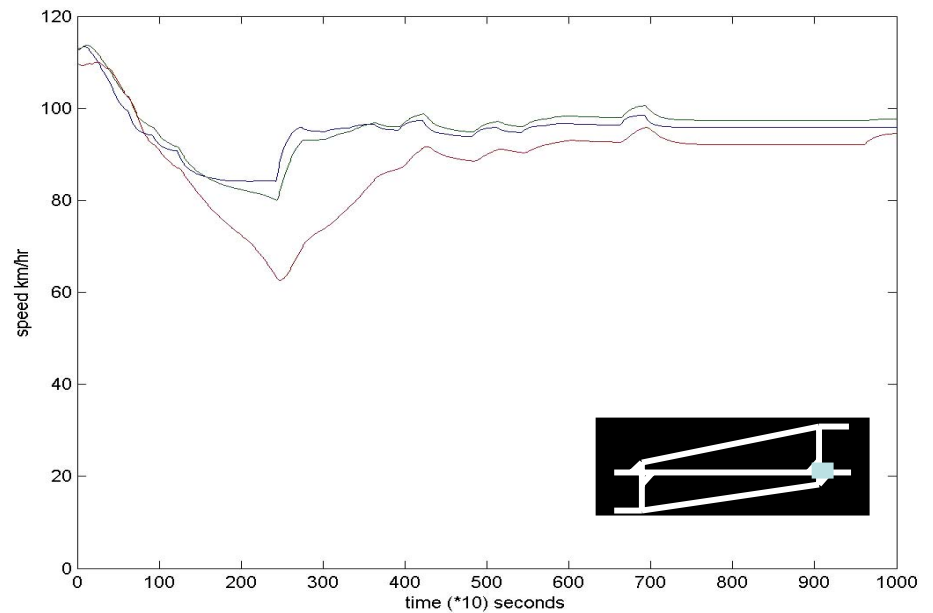
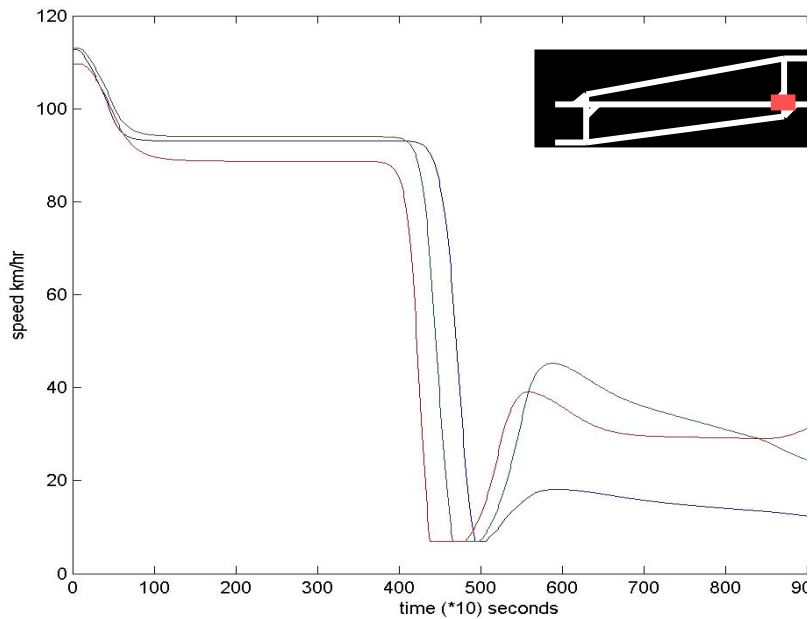


# Effect of the controller

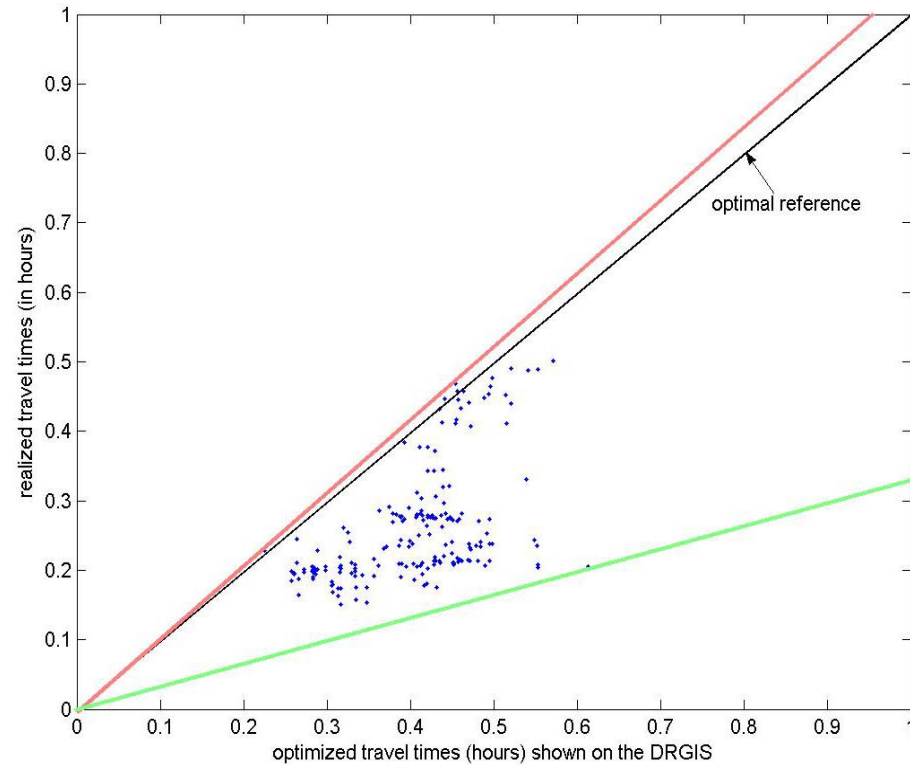
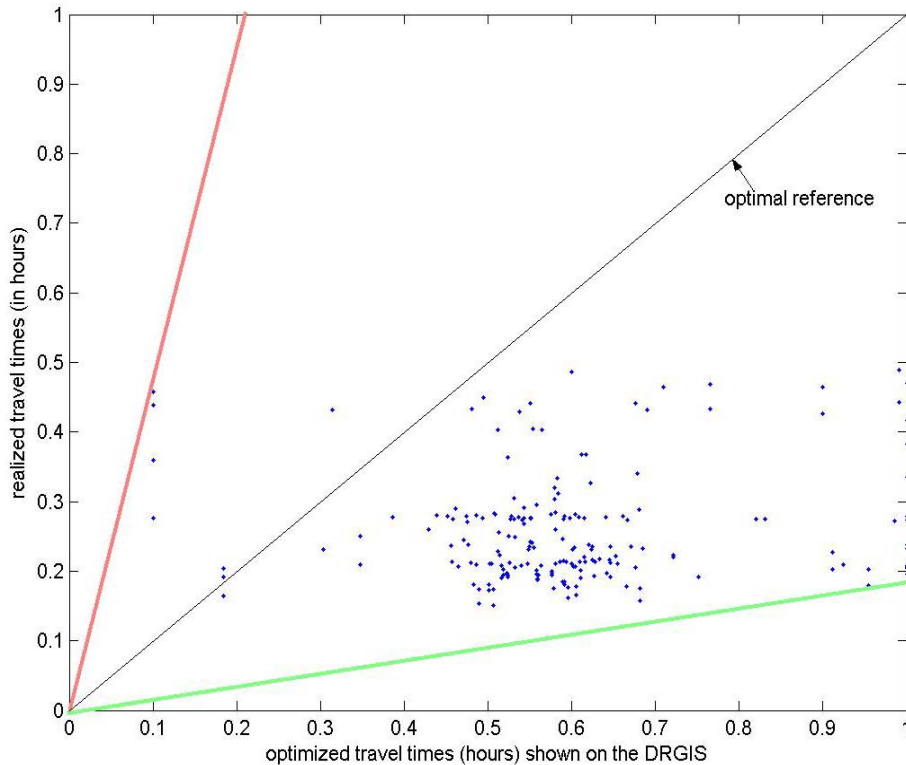


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# Without control (left) and with MPC (right)



# Deviation in travel time information with MPC without and with prediction error minimization in cost function



# Results

- Cost function with prediction error minimization guarantees optimal and precise travel times
- MPC algorithm for integral control can significantly reduce the total time spent ( $\sim 20\%$ )
- Prototype traffic control system possible in MATLAB, quick implementation on the road

# Shock waves



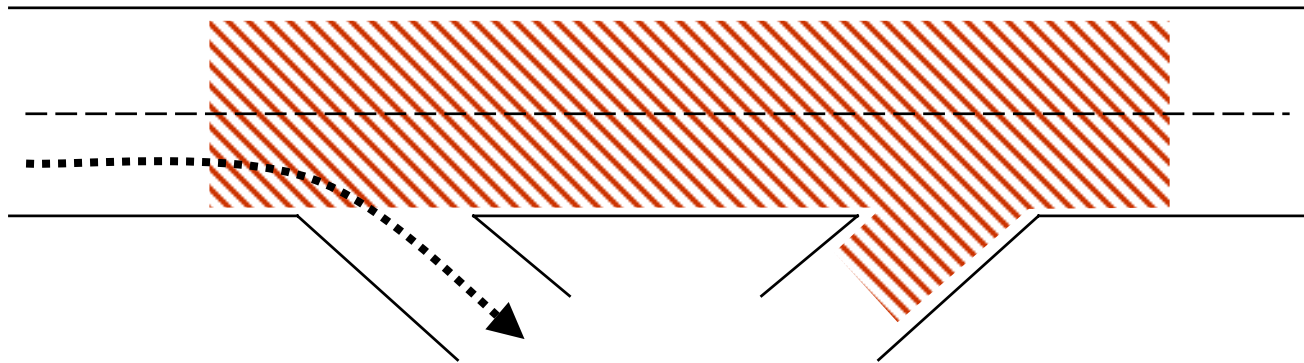
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27

# Network traffic

## local vs. global

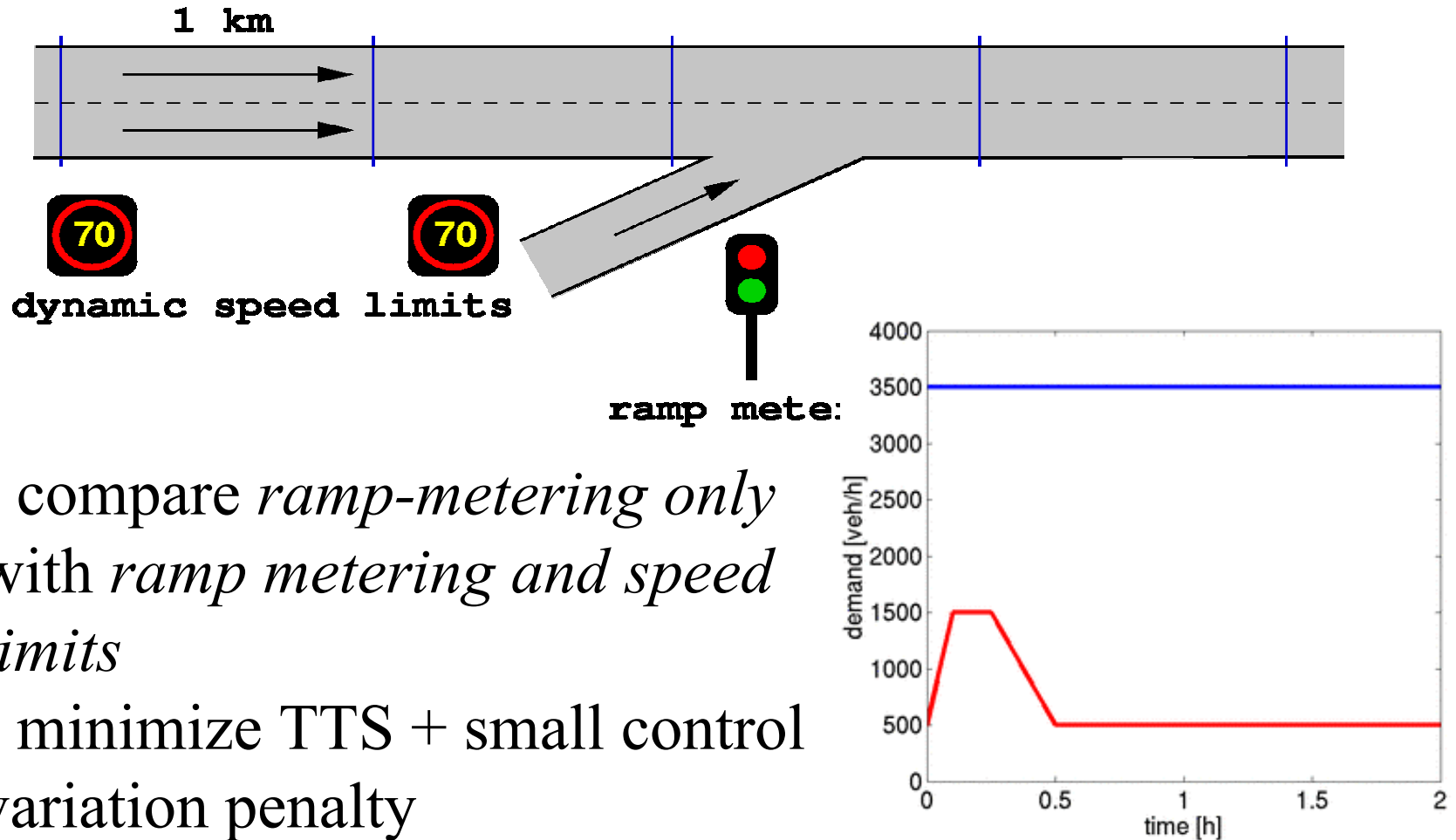
- coordination
  - blocking of other streams



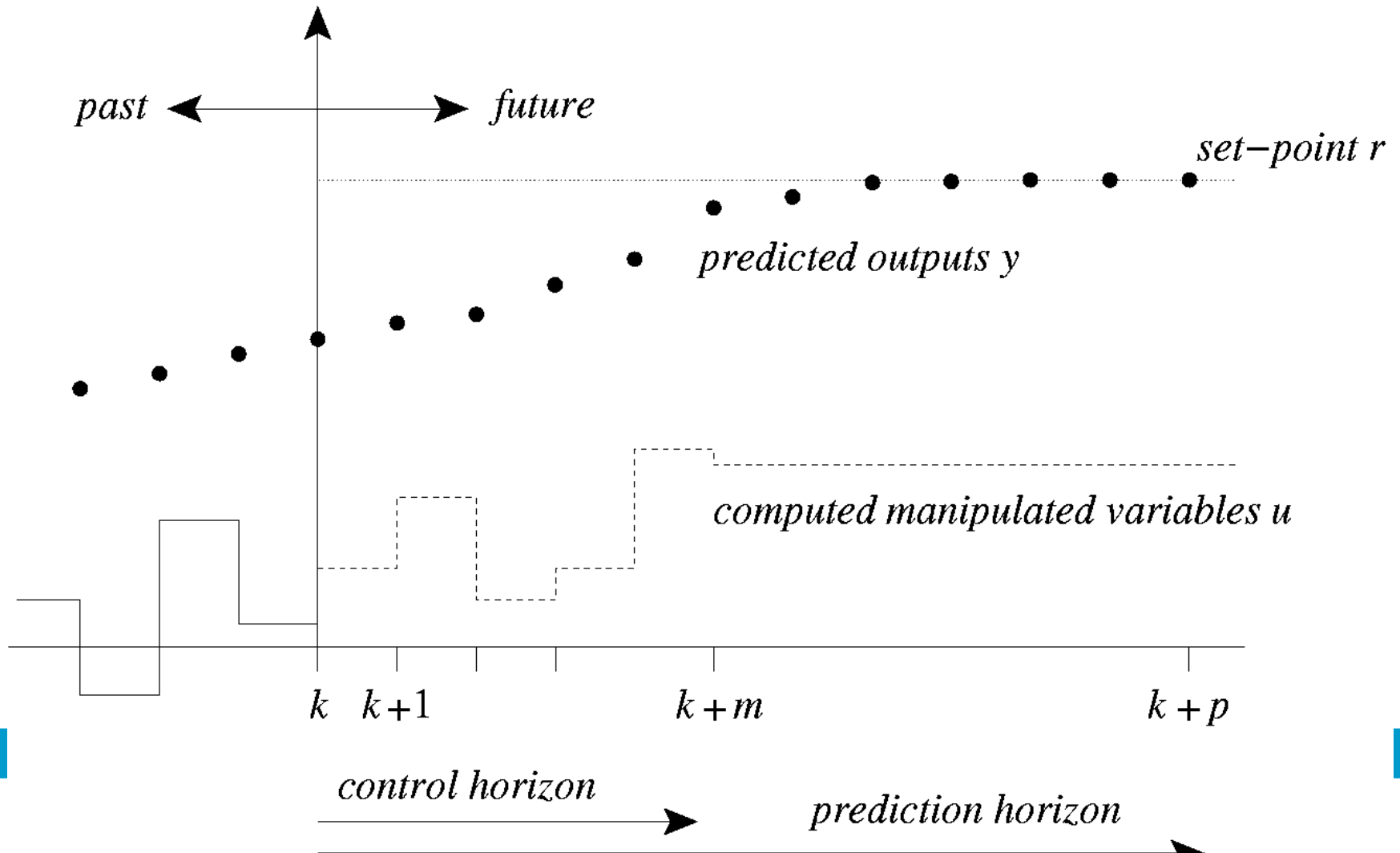
- influences possible on whole route



# Experimental Setup

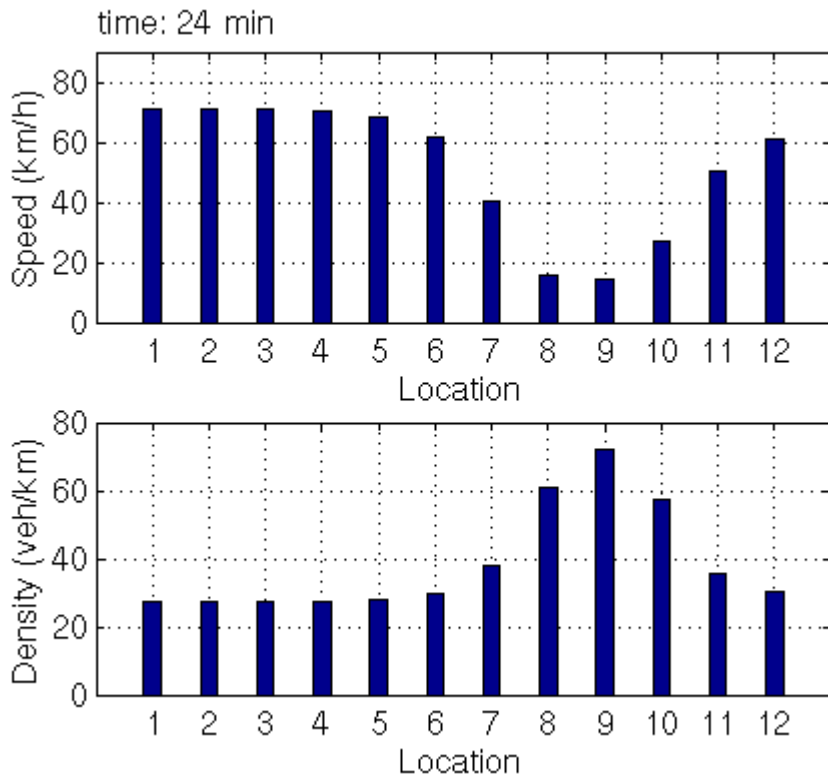


# Model Predictive Control

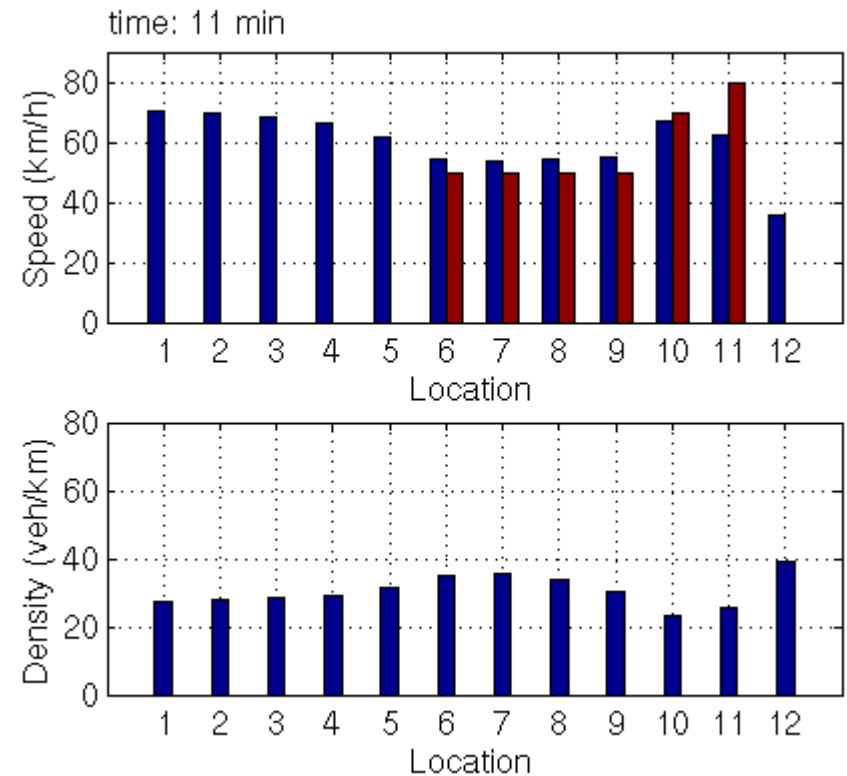


# Results

## without control



## with control



# Results

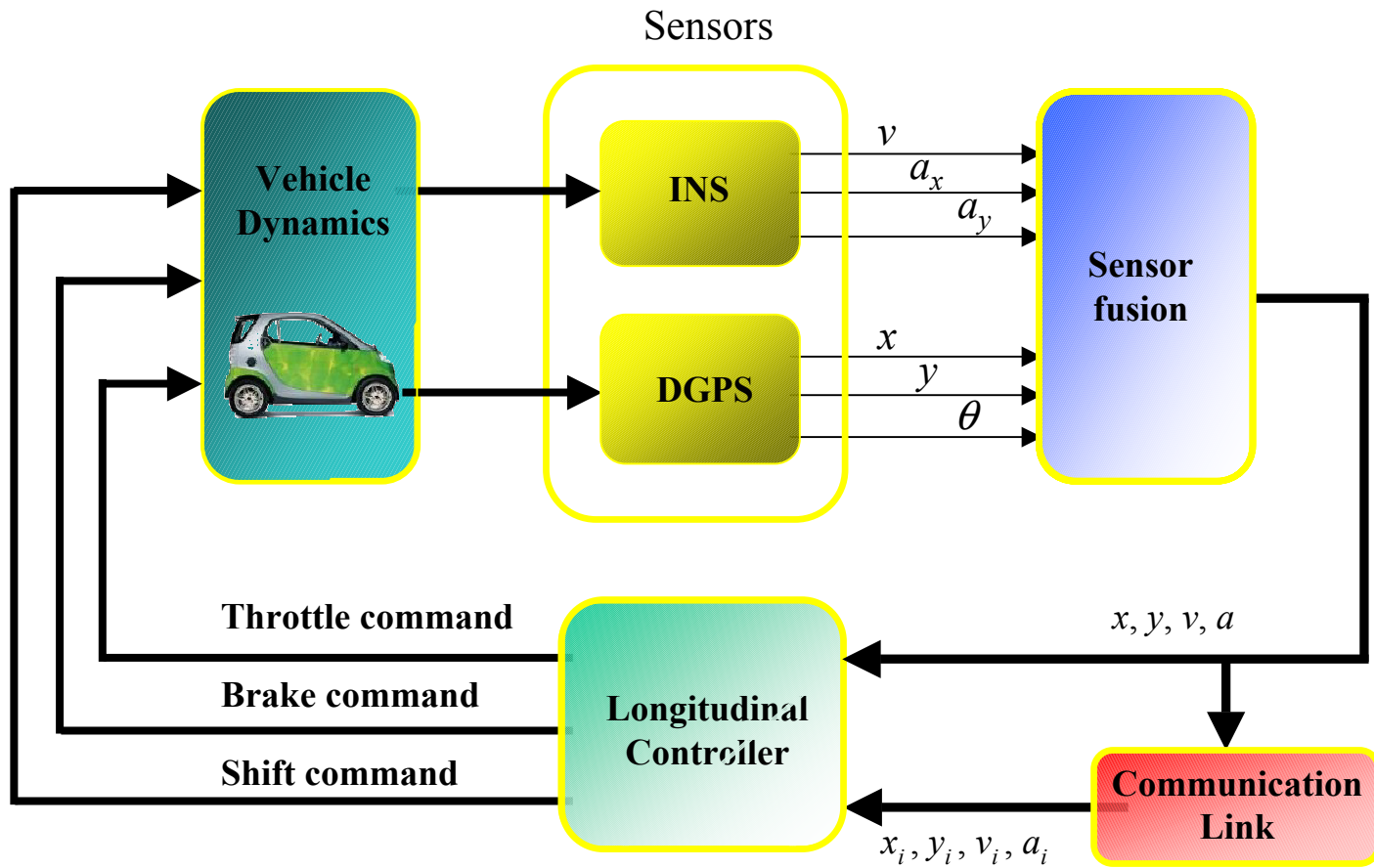
- Prediction horizon: 7 minutes
- Control horizon: 5 minutes
- Introduction of speed limits reduced TTS from 815 veh·h to 737 veh·h (9.6%)
- Congestion resolved in ca. 2 hours instead of 3 hours
  
- MPC suitable for coordinating ramp metering and speed limits
- Speed limits useful for congestion prevention/reduction

# Autonomous driving

- Demo setup consisting of three vehicles with IR-communication
  - Communication up to 300m
  - Multi-hop



# Overview of the closed-loop system



# Design of the inner loop(1)

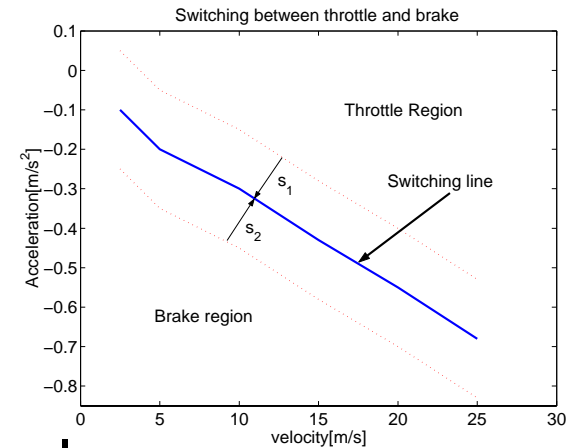
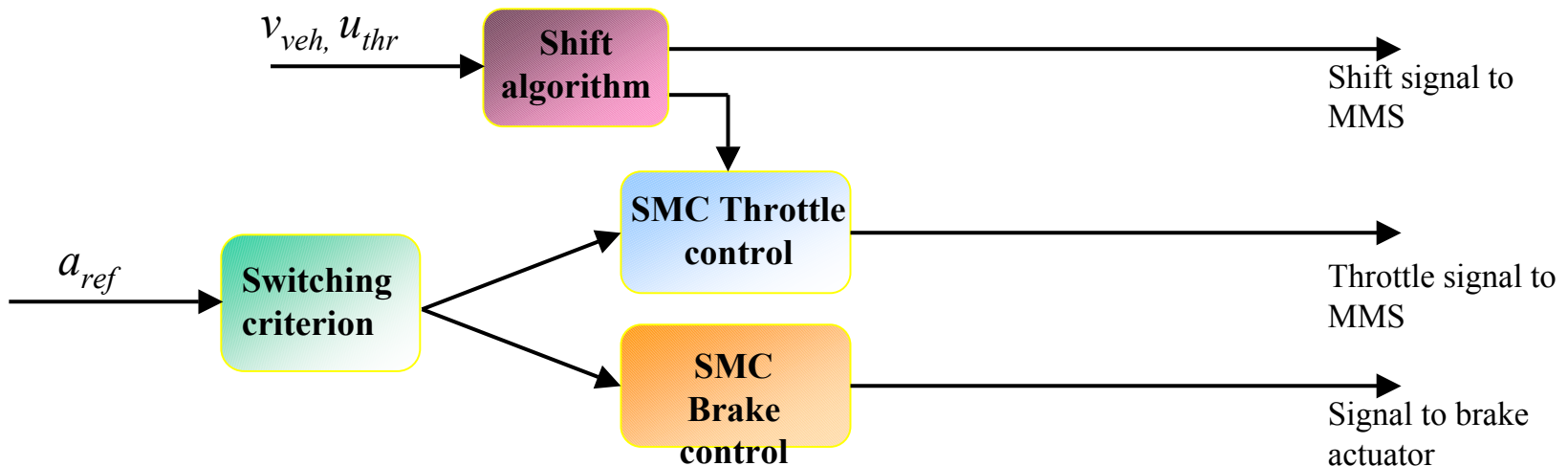
- Acceleration control for fast reaction
- Model-free control or control method robust to model uncertainties must be chosen
- Sliding Mode Control (SMC) with a simple model is chosen:
  - Model:  $ma + f = bu$
  - Control output: 
$$u = \frac{\left(\frac{-\dot{\epsilon}}{\lambda} + a_{ref}\right)\hat{m} + \hat{f}}{\hat{b}} - \frac{k}{\hat{b}} \text{sat}\left(\frac{S}{\phi}\right)$$
- Two SMC controllers have been used for brake and throttle because of different dynamics
- Gearbox has been controlled by shift algorithm

# Design of the inner loop(2)

- Brake and throttle should not be applied at the same time therefore the following switching criterion has been used:

- $a_{ref} - a_{res} > s_1$  switch to throttle control
- $a_{ref} - a_{res} < s_2$  switch to brake control
- $s_2 \leq a_{ref} - a_{res} \leq s_1$  do not switch

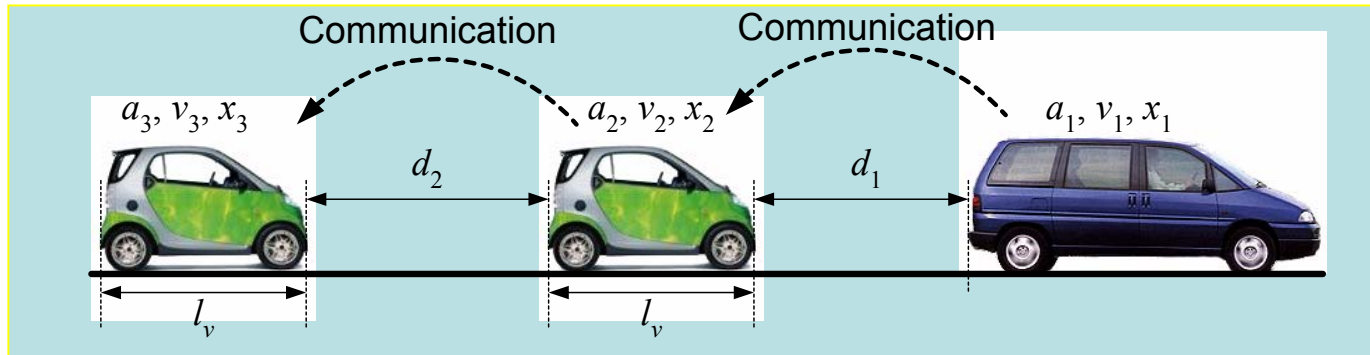
- Overview of total inner loop:





# Design of the outer loop

- Design of the outer loop is done in a simulation environment with ATS/CAR vehicle models developed at TNO Automotive



- Main objective: keep a headway of  $d_{ref}$  to front vehicle
  - Used time headway:  $h = h_0 - c\Delta v$
  - Desired headway:  $d_{ref} = d_0 + hv_{veh}$
- Additional term to achieve 'natural' driving behaviour:

$$a_{MND} = \frac{-(v_2 - v_1)^2}{2(d - d_{ref} + dx)}$$

# Conclusions

- Traffic control is dependent of good models
- Traffic measures can be combined, but this is risky
- Large test sites with more cities and long highways will be extremely difficult to control

