

District Energy Management

Optimal Control Strategies of Seasonal Storage Devices

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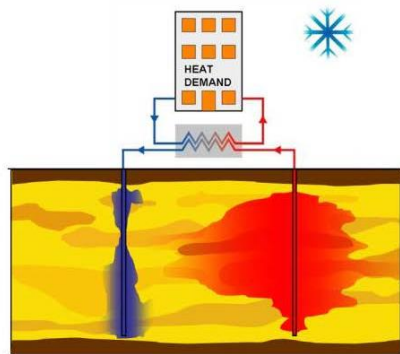


Aquifer Thermal Energy Storage (ATES)

- A large-scale natural subsurface storage for thermal energy
- An innovative method for thermal energy balance in smart grids

Cold season:

- The building requests thermal energy for the heating purpose
- Water is injected into **cold well** and is taken from **warm well**
- The stored water contains **cold** thermal energy for next season

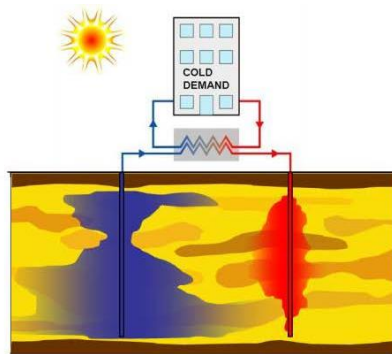


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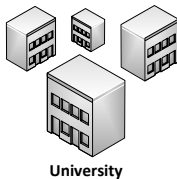
Warm season:

- The building requests thermal energy for the cooling purpose
- Water is injected into **warm well** and is taken from **cold well**
- The stored water contains **warm** thermal energy for next season

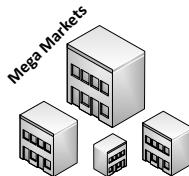
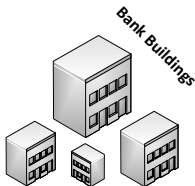


Smart Thermal Grids: ATEs Systems

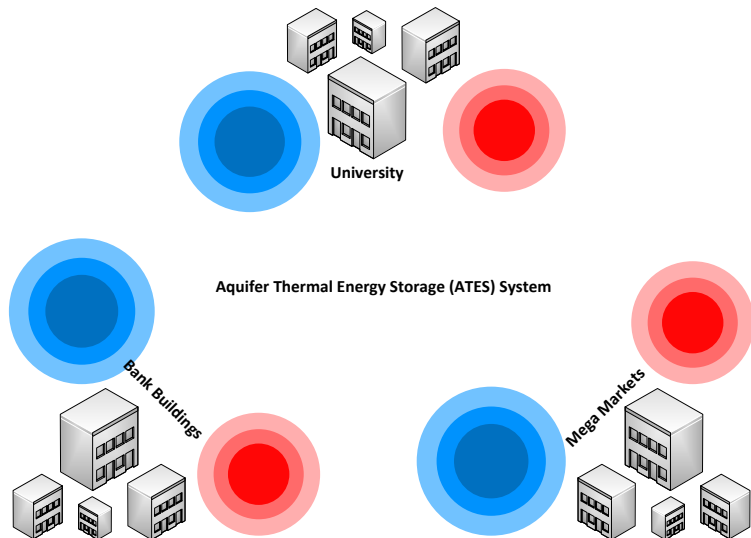
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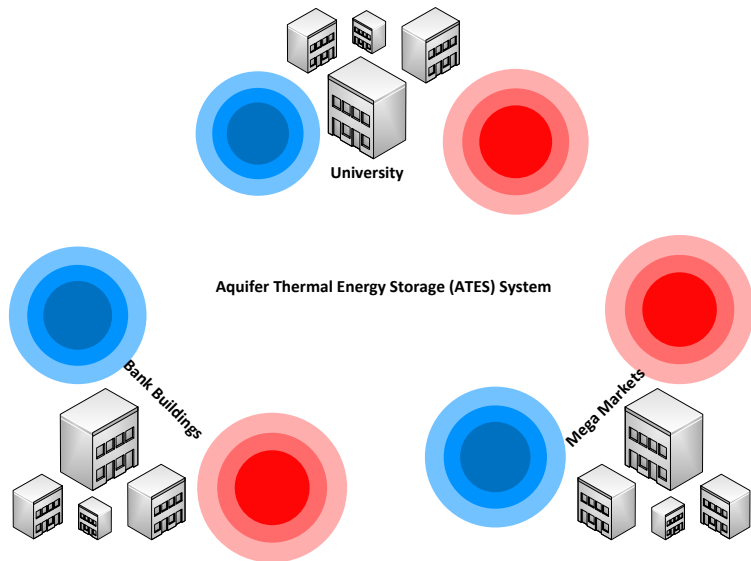
Aquifer Thermal Energy Storage (ATES) System



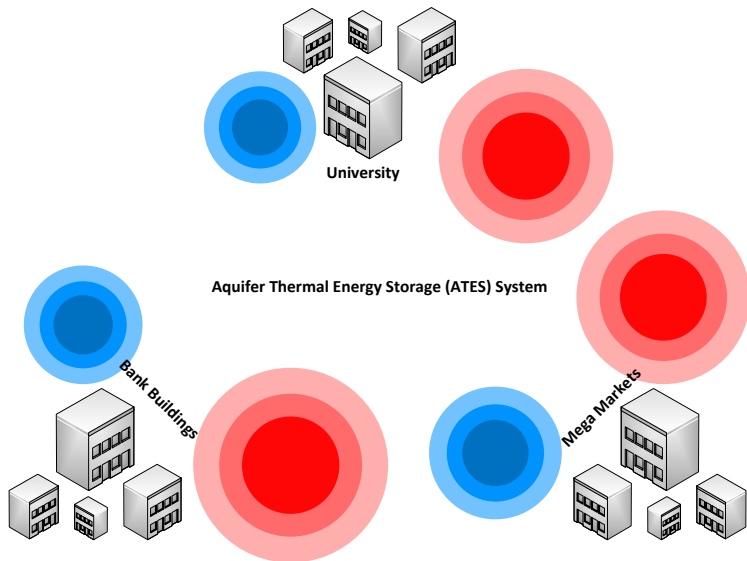
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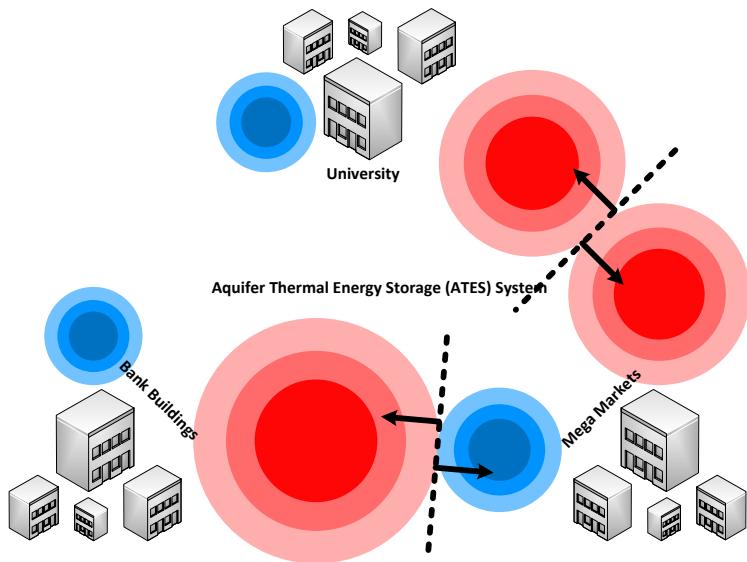
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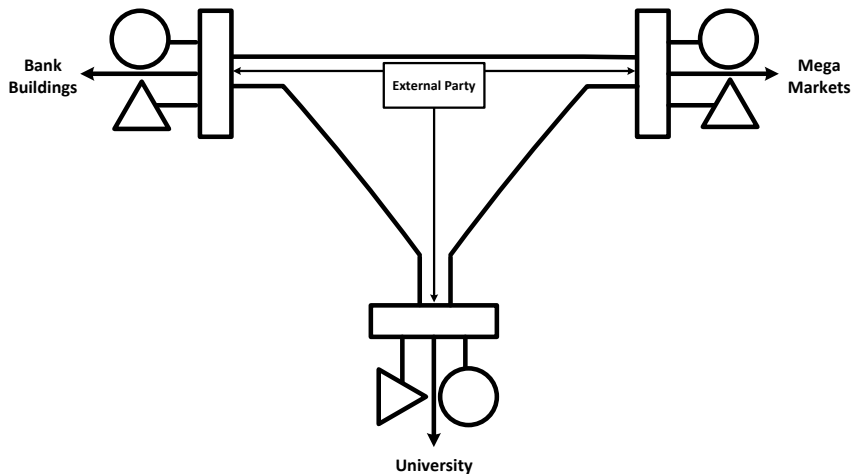
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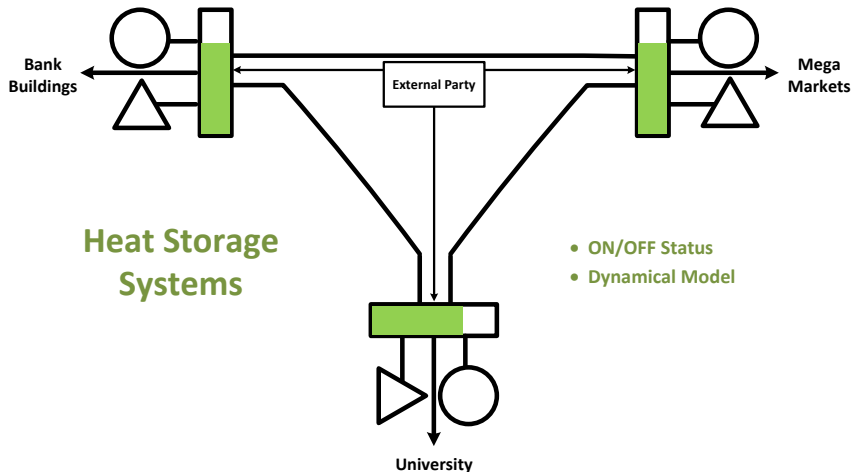
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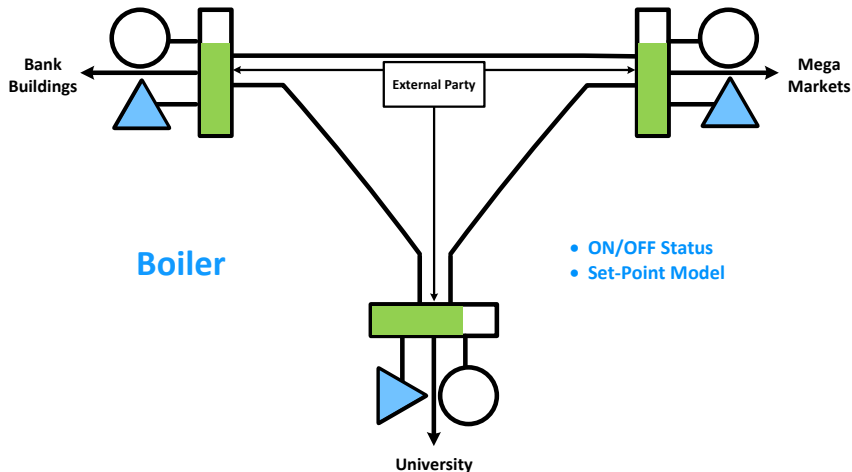
Smart Thermal Grids: Conceptual Framework



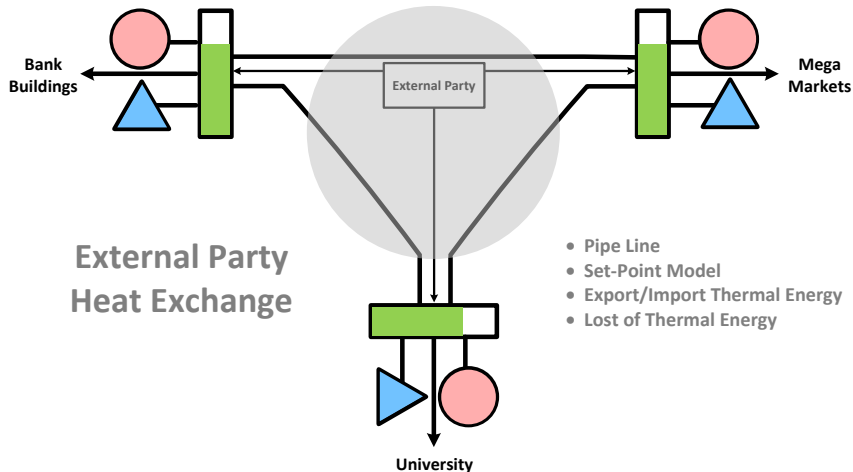
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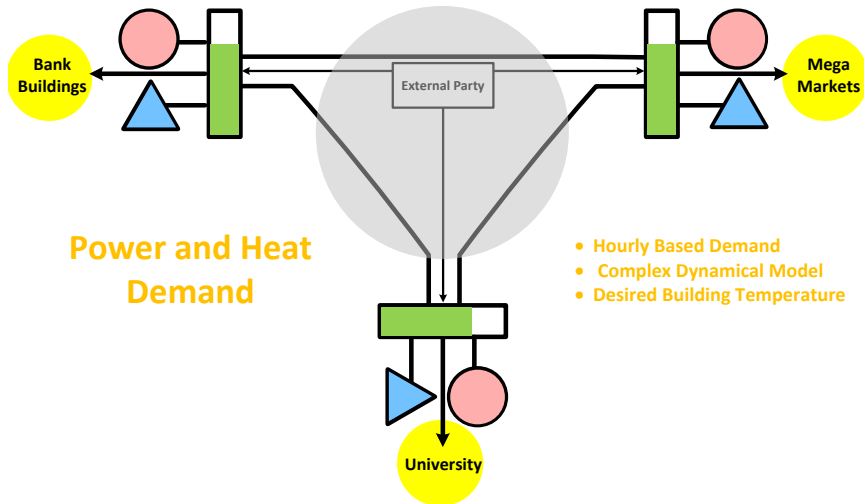
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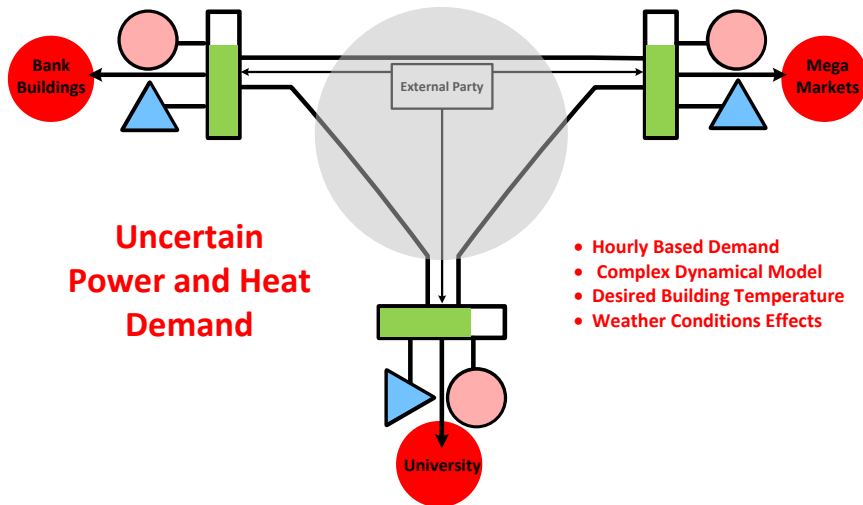
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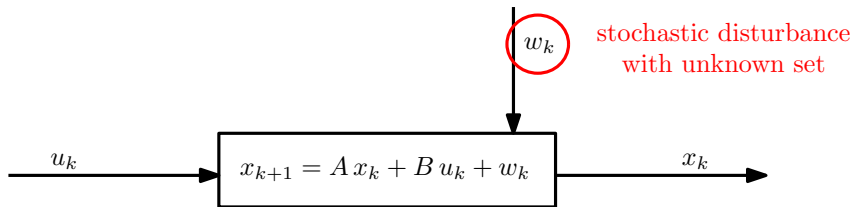


Smart Thermal Grids: Conceptual Framework



Mathematical Model

Define x_k to be the imbalance error between demand and production level. This yields the following dynamical model for imbalance error:



Our objective: design a state feedback control policy that minimizes the energy consumption of buildings, while keeping room temperatures between comfortable limits, despite *uncertain weather conditions*, and subject to the operational constraints

Stochastic Optimization Problems

Optimization problems under uncertainty:

- **Robust Programs:** provide a guaranteed level of performance for all admissible values of the uncertain parameters equally likely:

$$\left\{ \begin{array}{ll} \min_x & c(x) \\ \text{s.t.} & g(x, \delta) \leq 0, \quad \forall \delta \in \Delta \\ & x \in \mathcal{X} \end{array} \right. \quad \text{(RPs)}$$

- Tractability issue occurs in many control problems
- Very conservative since all uncertainty realizations are treated equally

Stochastic Optimization Problems

Optimization problems under uncertainty:

- **Chance Constrained Programs:** the relaxed version of RPs that allow constraint violation with a low probability $\varepsilon \in [0, 1]$:

$$\left\{ \begin{array}{ll} \min_x & c(x) \\ \text{s.t.} & \mathbb{P}[g(x, \delta) \leq 0] \geq 1 - \varepsilon \\ & x \in \mathcal{X} \end{array} \right. \quad \text{(CPs)}$$

- Accessibility of the probability distribution \mathbb{P}
- Intractable optimization problem and in general nonconvex
- Probability associated with the chance constraints can be hard to compute since it requires a multi-dimensional integral

Stochastic Optimization Problems

Optimization problems under uncertainty:

- **Big Data Programs:** We see a definite transition from a classical exact model to a data driven approach in the age of big data:



- How we deal with optimization and or control problems to reflect this transition?
 - We do not know the model information exactly: $\mathbb{P}, g(\cdot)$
 - Only a finite amount of data is available $\{g_k(\cdot) \mid k = 1, 2, \dots, N\}$
- How much information is really required to make meaningful estimates or informed decisions?

Stochastic Optimization Problems

Optimization problems under uncertainty:

- **Scenario Programs:** Computationally tractable approximations of CPs in which only finitely many uncertainty scenarios are considered:

$$\left\{ \begin{array}{ll} \min_x & c(x) \\ \text{s.t.} & g(x, \delta_i) \leq 0, \quad \forall i \in \{1, \dots, N\} \\ & x \in \mathcal{X} \end{array} \right. \quad (\text{SPs})$$

- δ_i , for $i = 1, \dots, N$, are N independent and identically distributed scenarios drawn according to the probability measure \mathbb{P}
- Based on generating a large number N of stochastic scenarios, thus may lead to a very conservative solution
- E.g., convex problem $N > 10^3$, and nonconvex problem $N > 10^4$

Conclusions

Remarks:

- Centralized control problem formulation for a **Smart Thermal Grid**
- **Affine Uncertainty Feedback Policy** with chance constraint formulation
- **Convex Reformulation** of the proposed stochastic constrained control

Next Steps:

- Developing a **Real Demand Profile Generator** by using a detailed building dynamical model
- Incorporating **Aquifer Thermal Energy Storage System (ATES)** in the developed framework

Thank you! Questions?

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